

Multiple Breadbasket Failure Modelling - systemic risks in the food system -

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Ecosystems Services and Management (ESM)/
RISK group

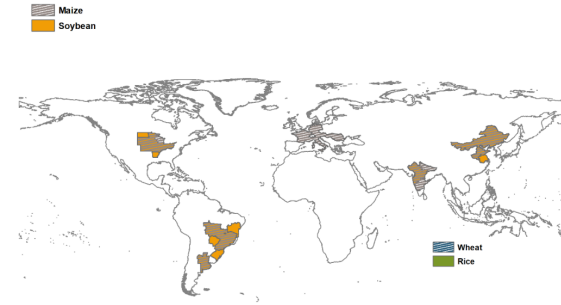
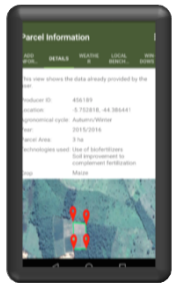
May 21, 2019

Next-Generation Food Shock Modeling Workshop, Aspen

GLOBIOM



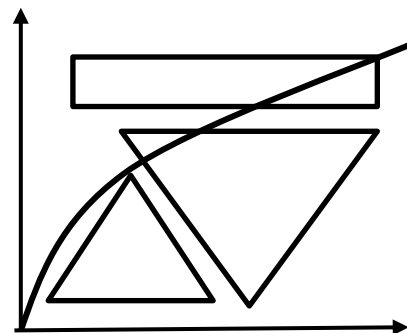
AgroTutor



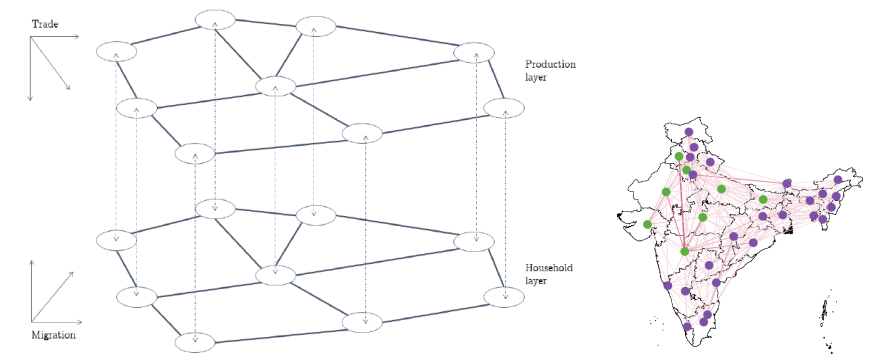
Climate risks in global breadbaskets



CatSIM/ Risk Layering



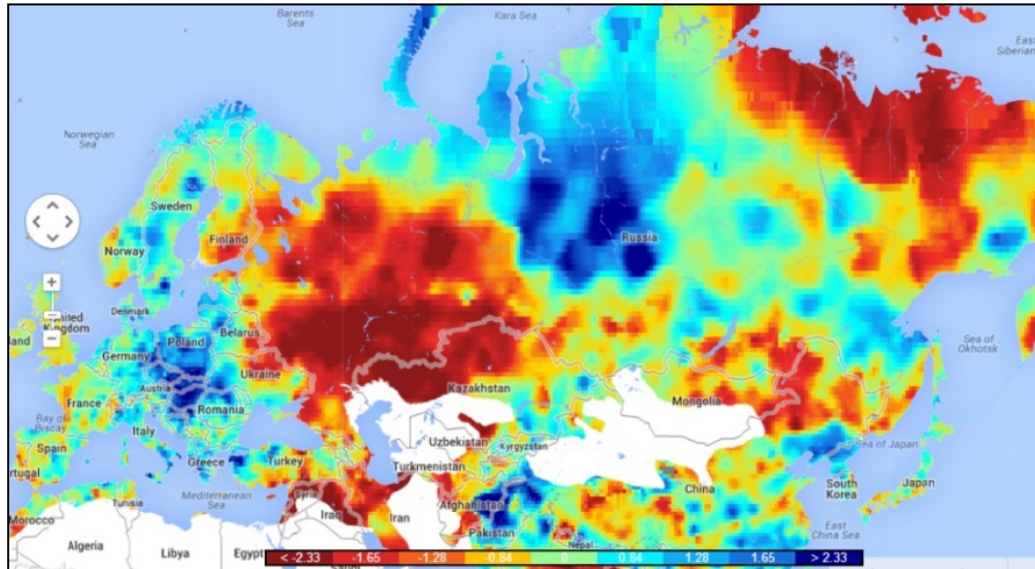
Networks/Agent-based models



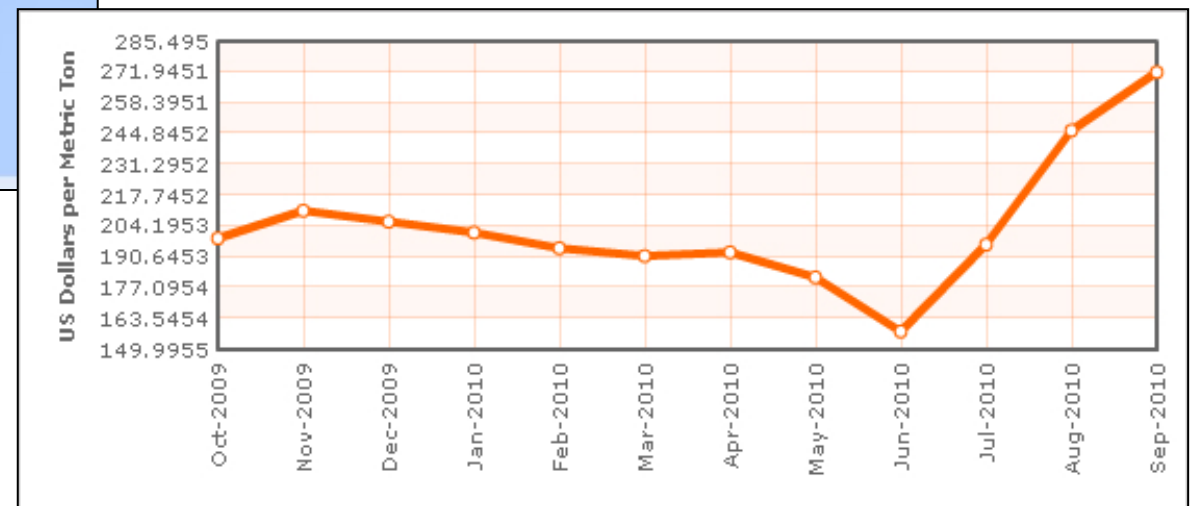
Russia, 2010



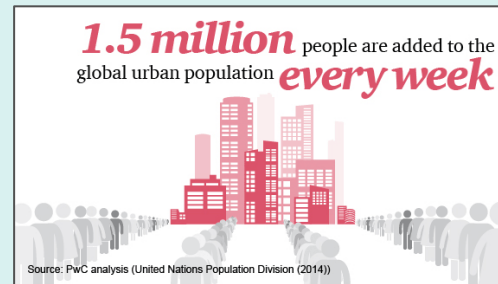
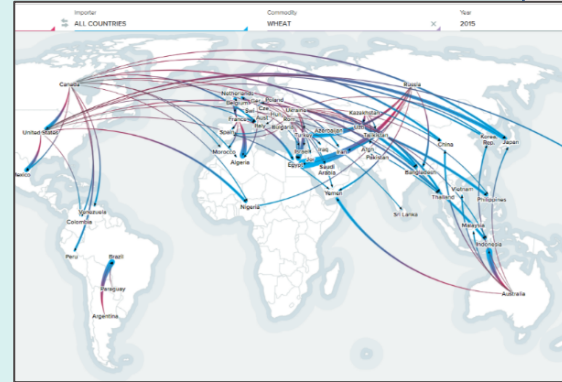
SPEI Global Drought Monitor: October 2010



Wheat prices in US Dollars (Worldbank)

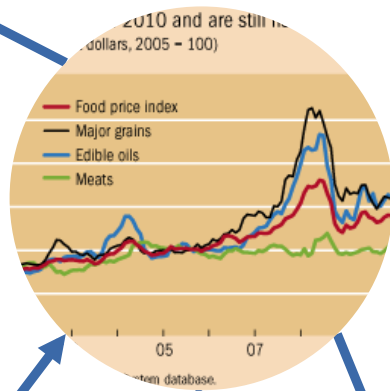


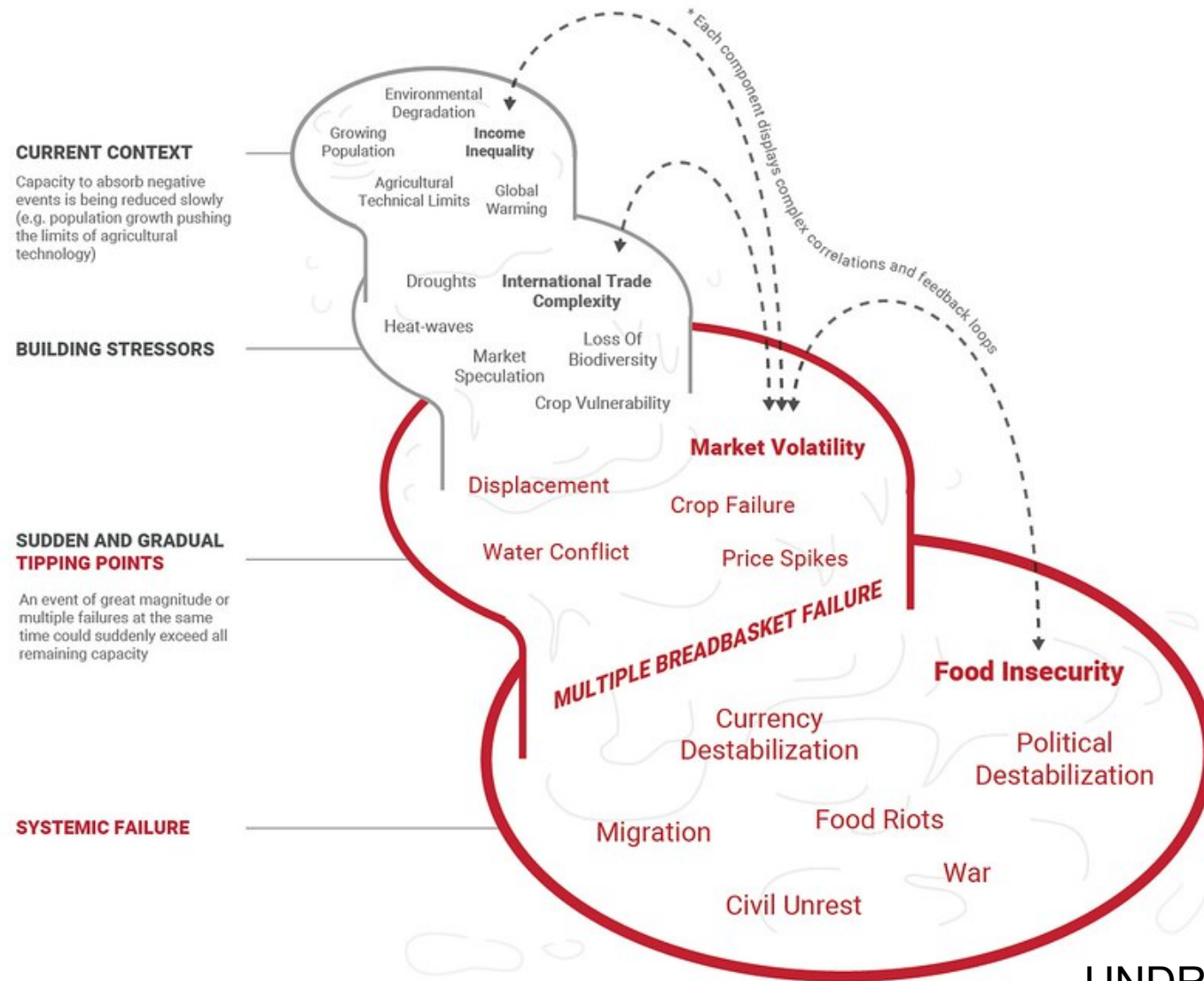
Slow drivers of systemic food system risks



Triggers

Cascading effects



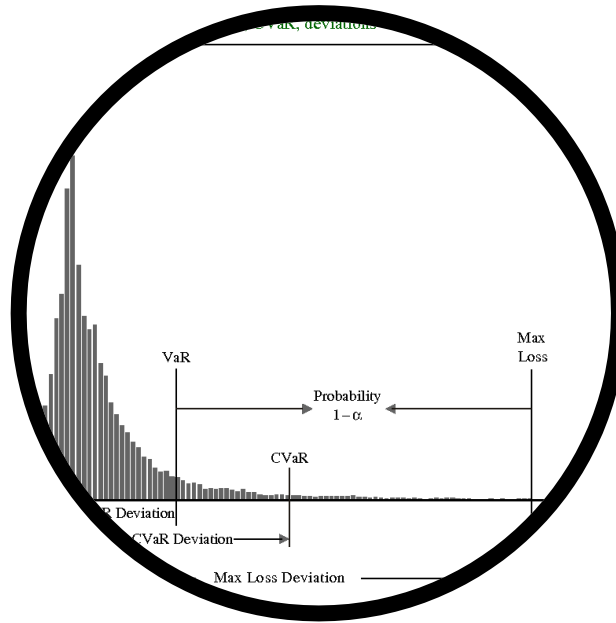


UNDRR, GAR19

Pathways to a resilient food system



Data &
Technology



Improved
Risk
Modelling



Complex
Systems
Thinking

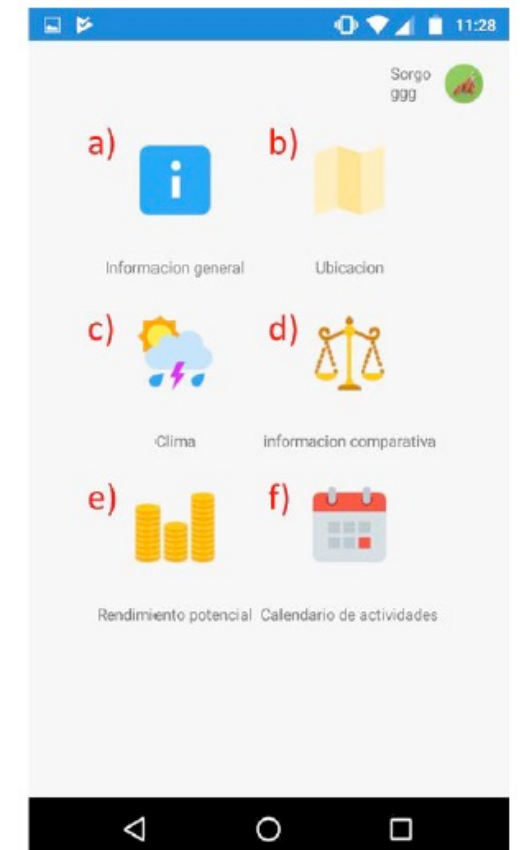


Data &
Technology

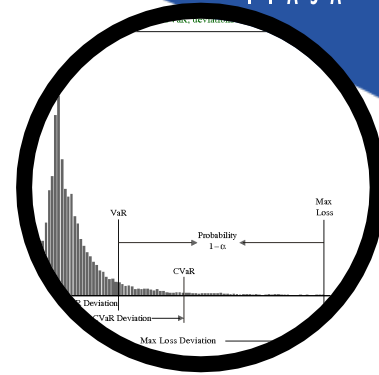
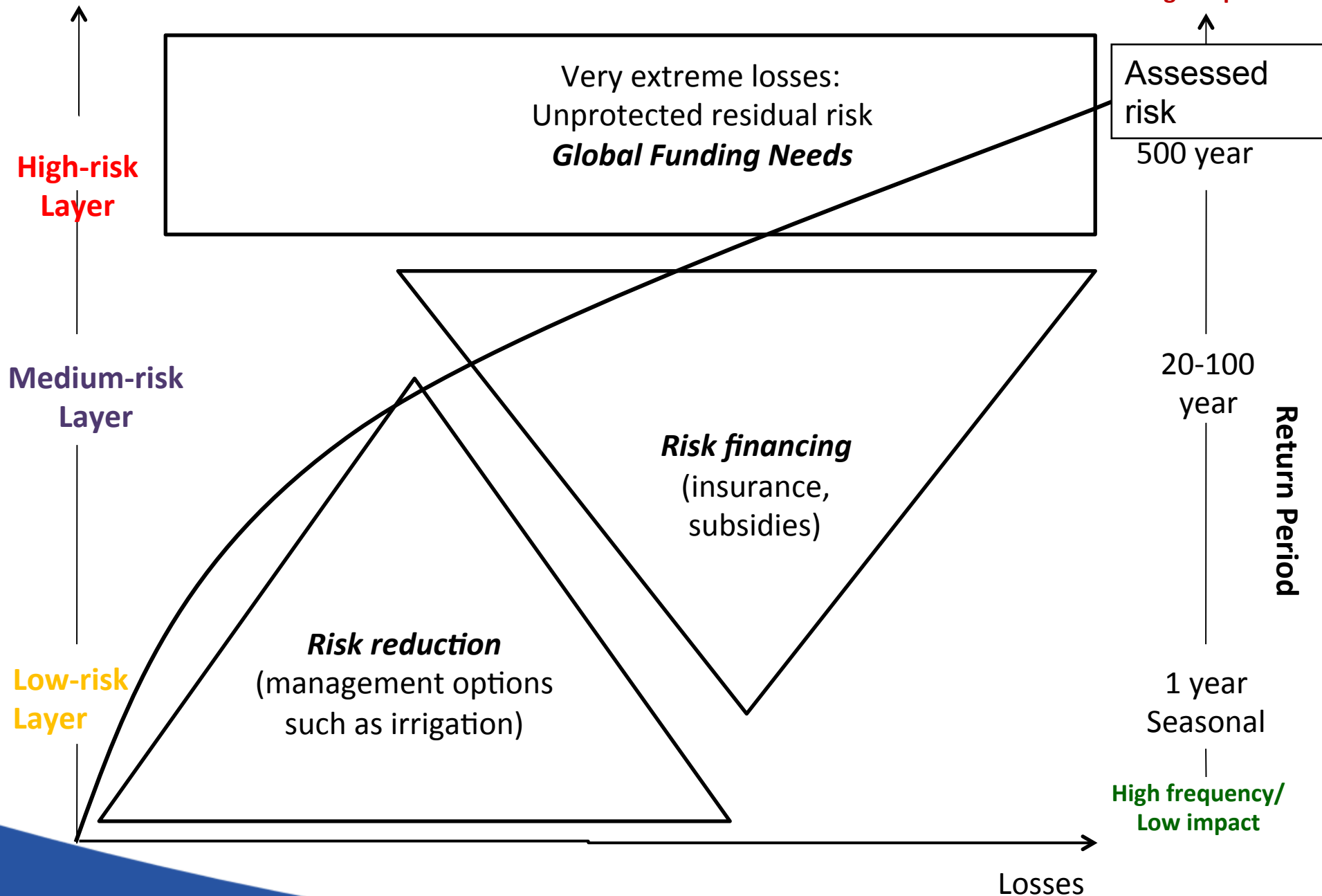
AgroTutor (IIASA & CYMMIT)



- Yield potential
- Price forecasting tool
- `Windows of opportunity`
- Early warning for pests and droughts

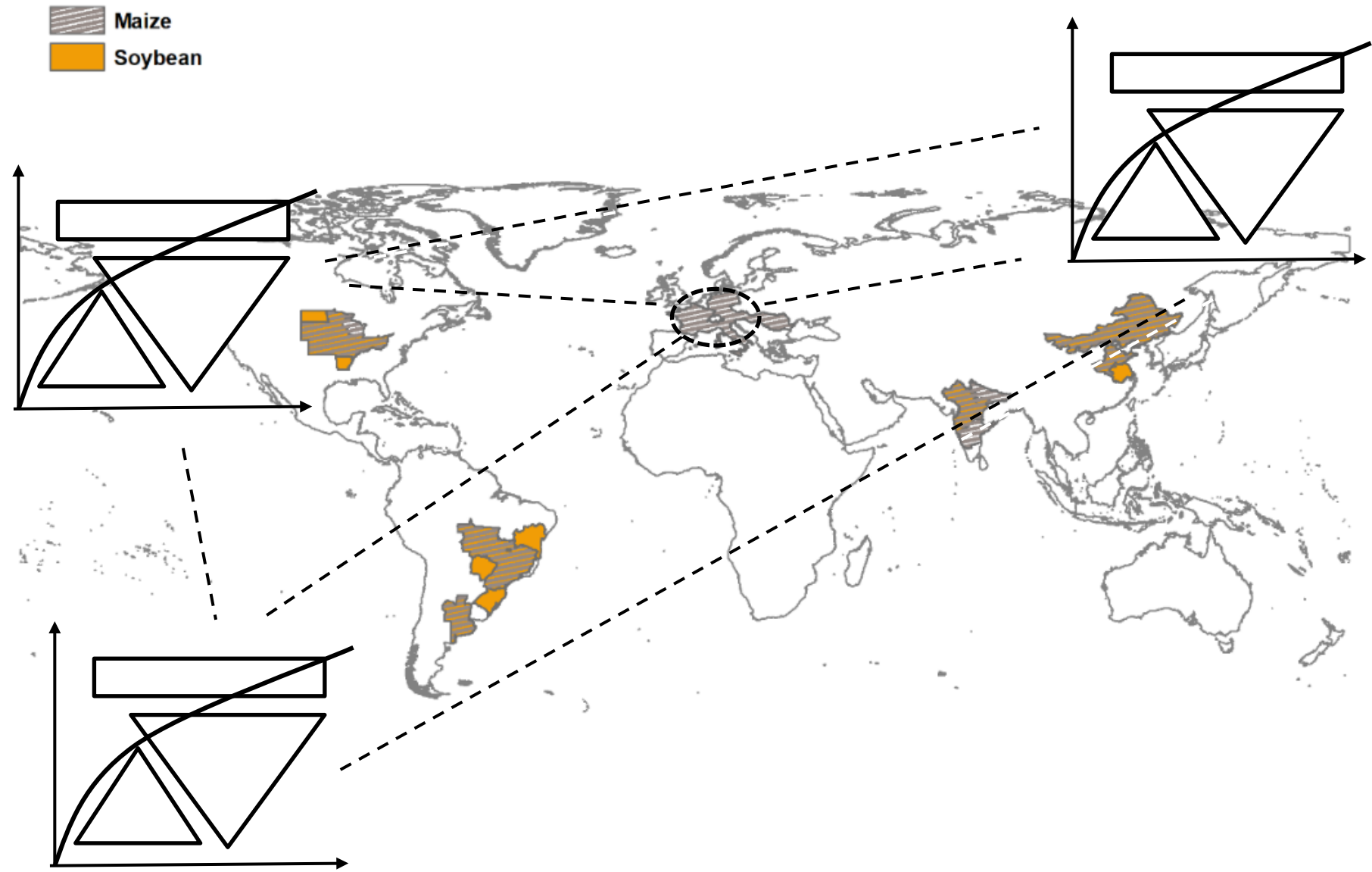


Risk layering approach/CatSIM



Improved
Risk
Modelling

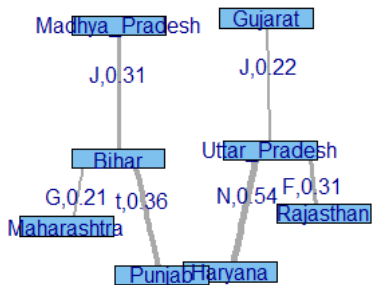
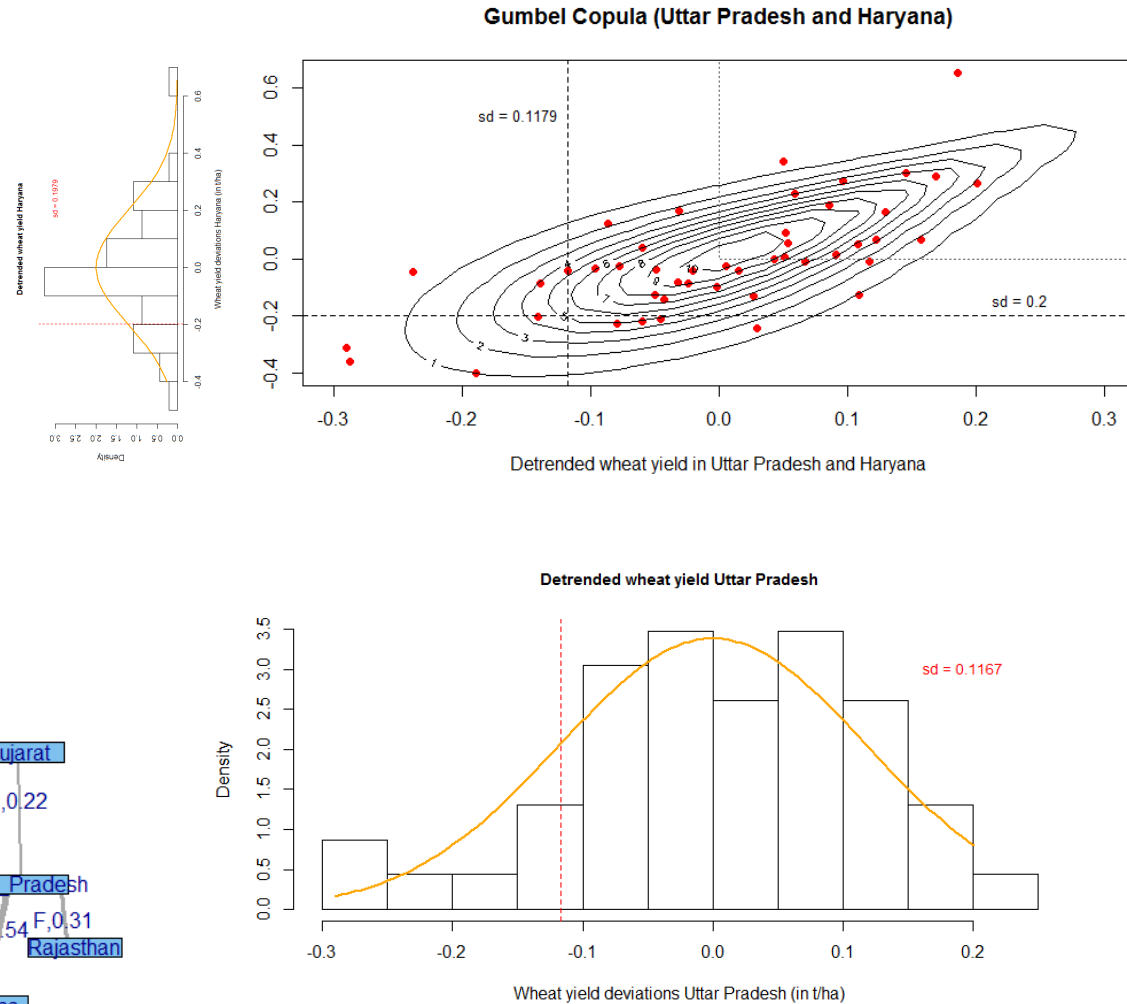
Hochrainer-
Stigler,
Mechler et al.



Copulas: joint extreme event modeling

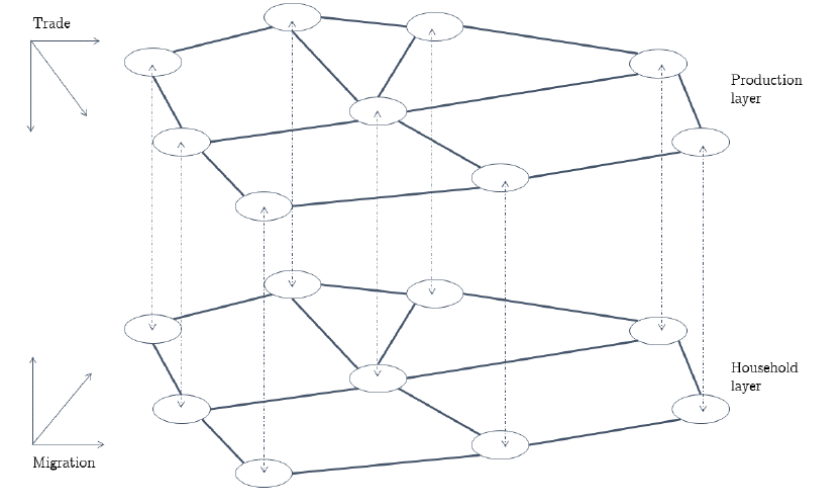


Complex Systems
Thinking

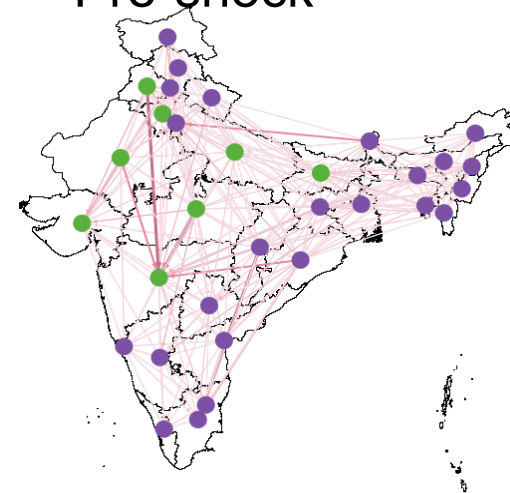


Gaupp et al. (2017) in *Risk Analysis*

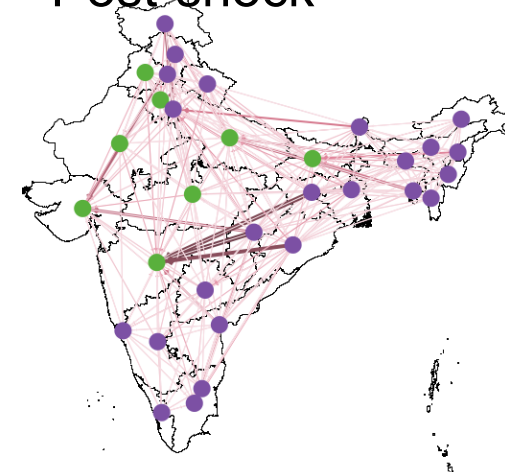
ABMs/networks



Pre-shock

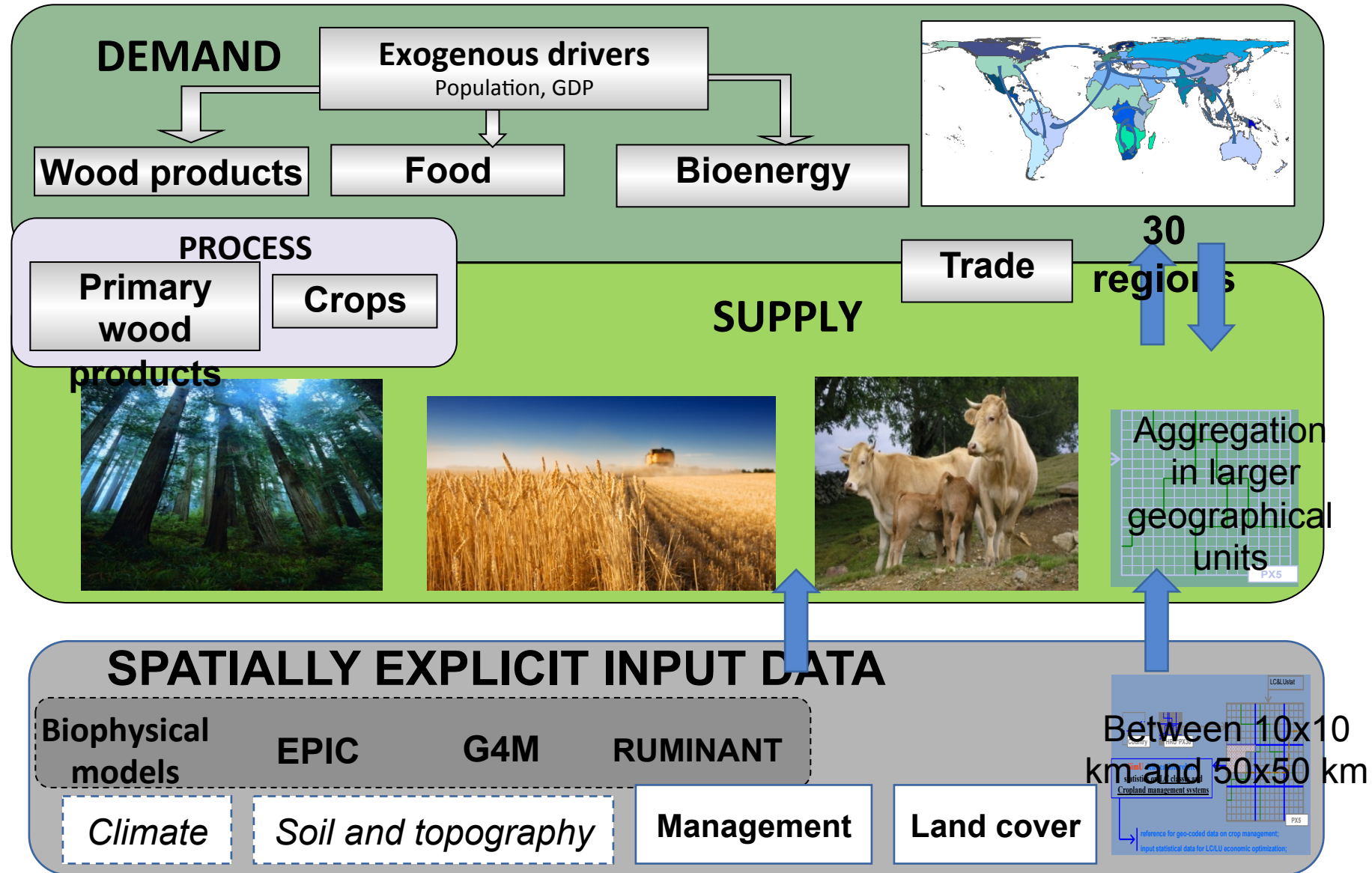


Post-shock

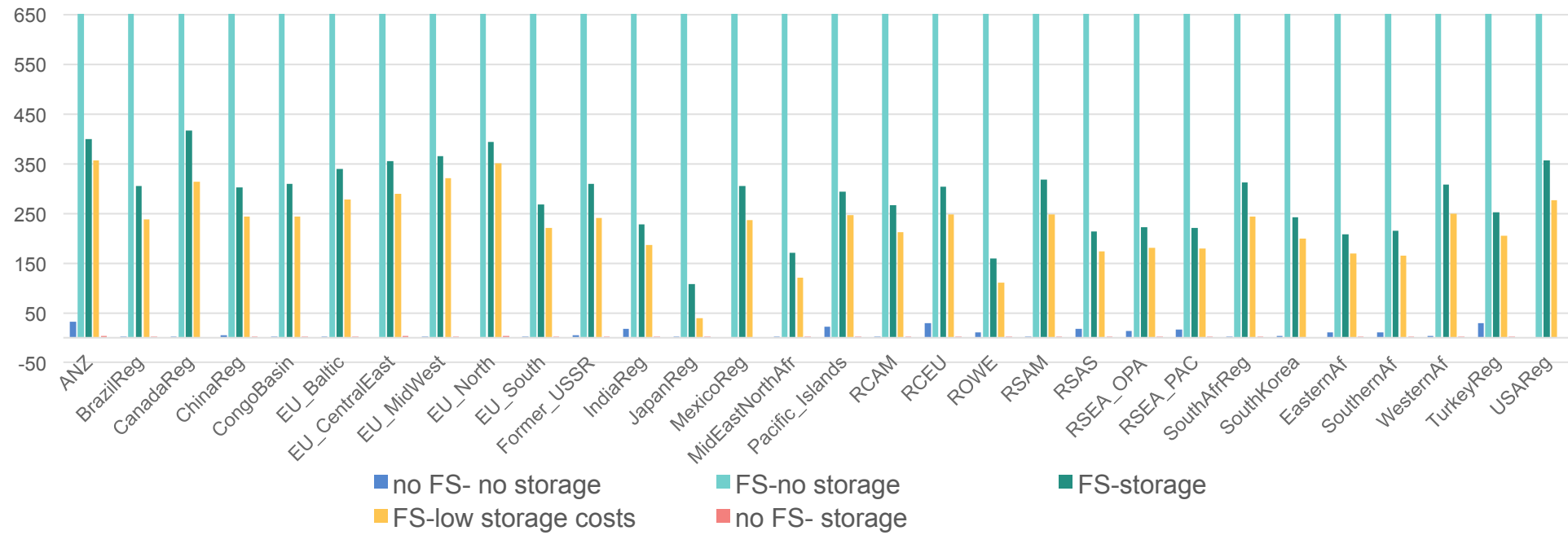


Naqvi et al. (forthcoming) in *OR Spectrum*

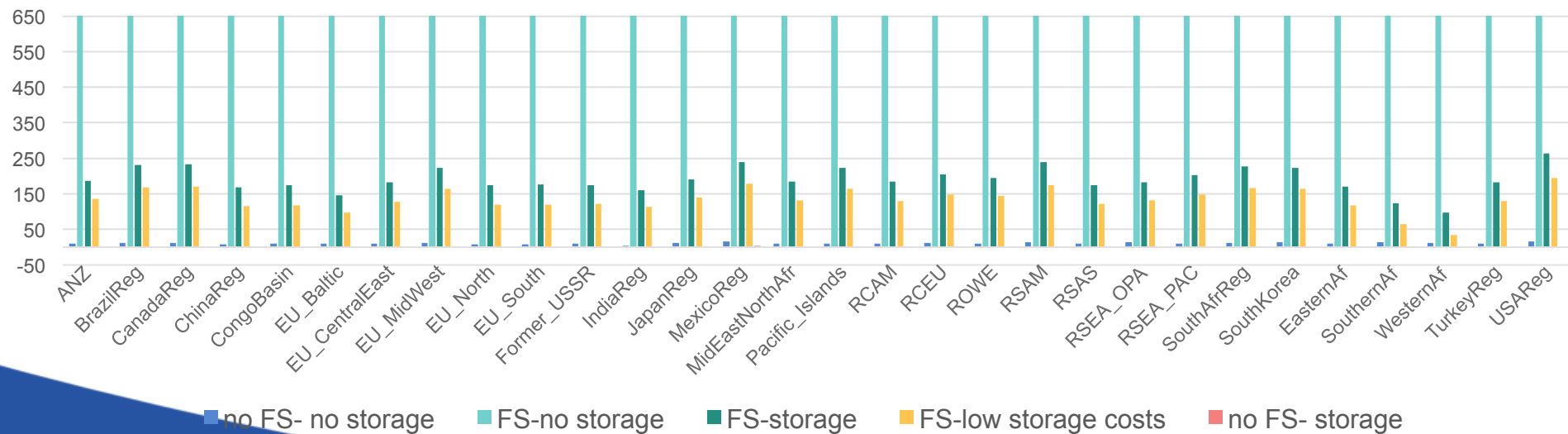
IIASA's GLOBIOM model



Wheat price increases in %



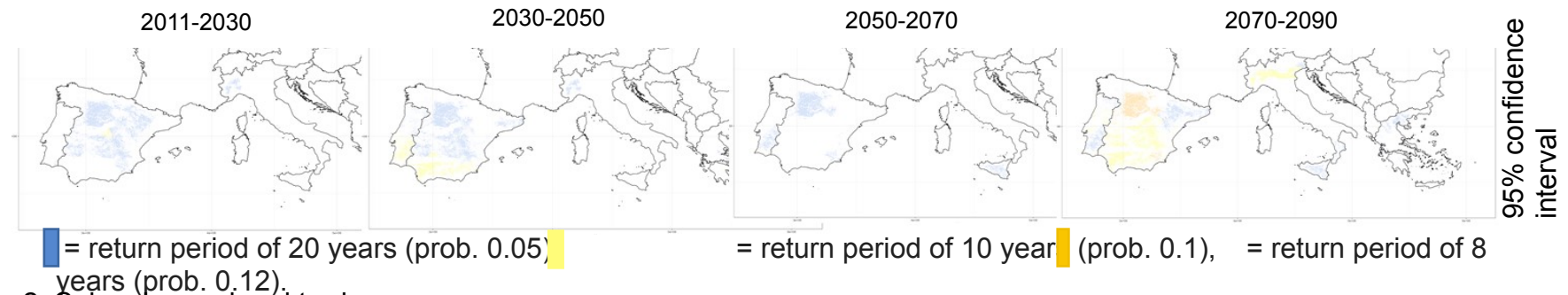
Soybean price increase in %



GLOBIOM-X: Capturing extreme climate events in a partial-equilibrium model

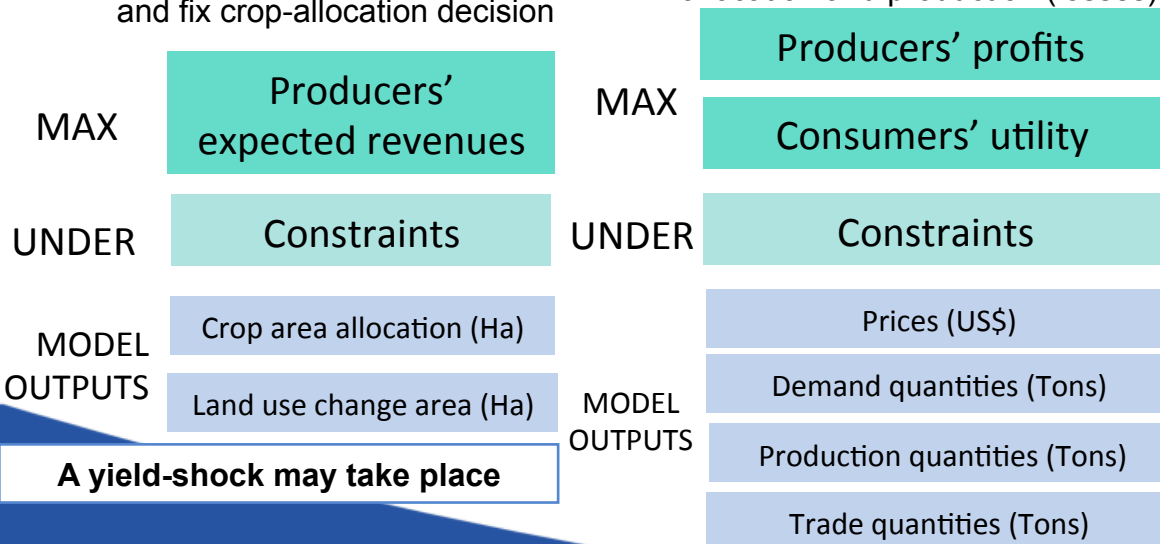
Conventional PE models (supply = demand at a certain price) do not capture the short-term production losses and market disturbances because trade and crop-production adjustments occur simultaneously. Therefore, introduce a **two-step solution framework** in GLOBIOM

Climate models in combination with crop models show **increased magnitude and frequency of climate-related yield shocks**



Step 2: Solve demand and trade relationships given the known crop allocation and production (losses)

Step 1: **Maximize expected revenues** and fix crop-allocation decision



This allows us to disentangle the effect of the shock to prices spikes, trade, and next-year adjustments...

...In order to analyze the effects on adaptation policies such as trade and stockholding

Thank you for your attention!

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soundcloud.com/foodsystemspodcast

Step 2: Fitting a copula and estimate copula parameter

1. Estimate copula parameter

Copula	Relationship with Kendall's τ	Copula
Elliptical copulas (Student t, Normal,...)	$\rho(X, Y) = \sin\left(\frac{\pi}{2} \tau\right)$	<i>depends on copula</i>
Frank	$\frac{[D_1(\alpha) - 1]}{\alpha} = \frac{1 - \tau}{4}$ with $D_1(\alpha) = \frac{1}{\alpha} \int_0^\alpha \frac{t}{e^t - 1} dt$	$C_\alpha(u, v) = -\frac{1}{\alpha} \ln \left(1 + \frac{(e^{-\alpha u} - 1)(e^{-\alpha v} - 1)}{e^{-\alpha} - 1} \right)$
Gumbel	$\hat{\alpha} = \frac{1}{1 - \tau}$	$C_\alpha(u, v) = \exp \left\{ - \left[(-\ln u)^\alpha + (-\ln v)^\alpha \right]^{1/\alpha} \right\}$

Key concept. If we feed the arbitrary variable X through its own cdf, we obtain a very special transformed random variable, which is called the grade of X

$$U \equiv F_X(X). \quad (3)$$

The distribution of the grade is uniform on the unit interval regardless of the original distribution f_X

$$U \sim U_{[0,1]}, \quad (4)$$

The simple proof of this result proceeds as follows

$$\begin{aligned} F_U(u) &\equiv \mathbb{P}\{U \leq u\} = \mathbb{P}\{F_X(X) \leq u\} \\ &= \mathbb{P}\{X \leq F_X^{-1}(u)\} = F_X(F_X^{-1}(u)) = u. \end{aligned} \quad (5)$$

Therefore $F_U(u) = u$, which is the cdf of a uniform distribution.

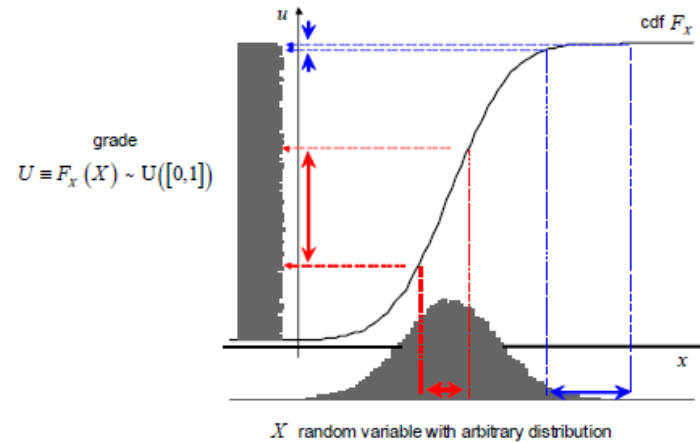


Figure 1: The cdf maps an arbitrary random variable into a uniform variable

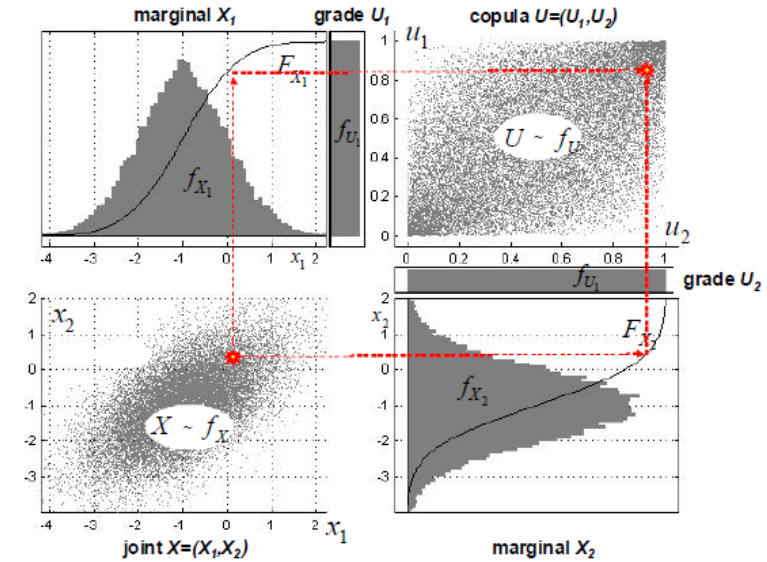
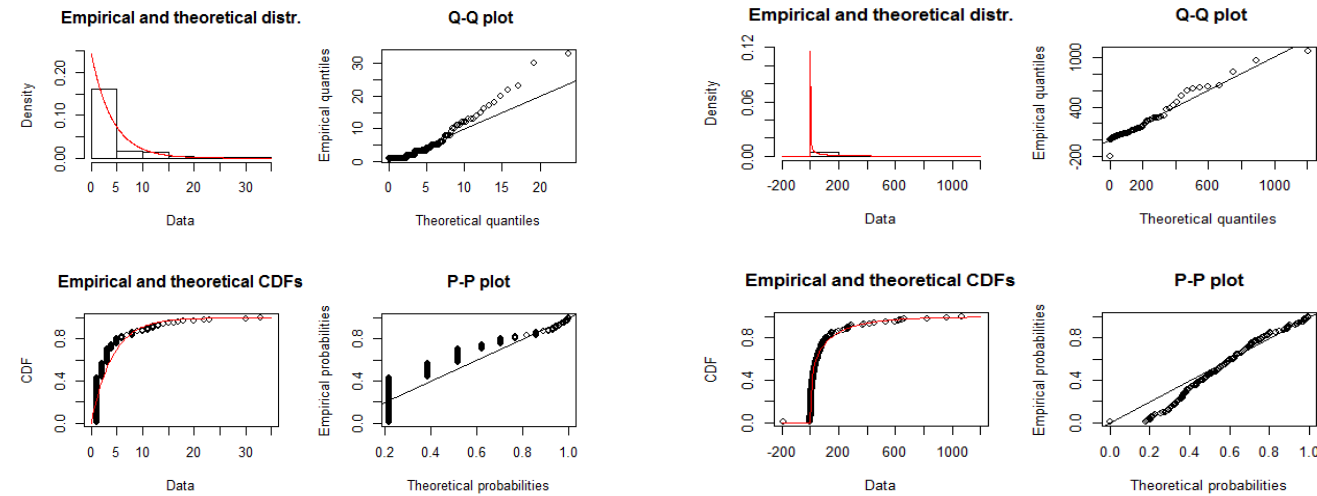


Figure 2: Copulas are non-linear standardizations of multivariate distributions

Example: Drought modeling with copulas (2)



Observed drought duration data
fitted to an exponential distribution.

Observed drought severity fitted to a
gamma distribution.

$$\longrightarrow \hat{\tau} = 0.699$$

For Clayton copulas:

$$\tau = \frac{\theta}{(\theta+2)}$$

$$\rightarrow \hat{\theta} = 4.645$$

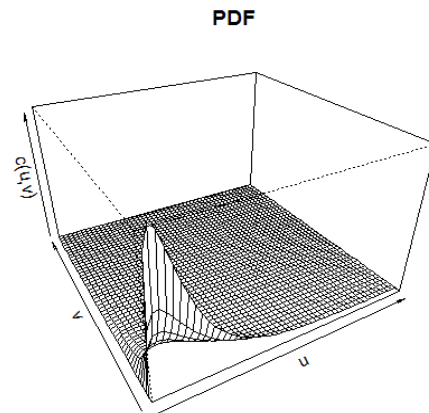


Fig 22: Popular copula families